Project 16: Da Vinci Intelligent Surgical Assistance

Seminar Presentation

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Goals

- Learning from demonstration how to perform tasks (IOC)
- Collaborative execution of a simple pick and place task
- Collaborative execution of a robotic suturing task



Arms showing planned positions

Peg Task

Application: Grabbing a needle after suture throw

Paper 1: Continuous IOC with Locally Optimal Examples





Inverse Optimal Control

$P(u \mid x_0) \propto \frac{1}{Z} \sum_{t} e^{r(x_t, u_t)}$ \uparrow Partition function; extremely expensive to compute!

Rewriting the Equation



Second Order Taylor Expansion of Reward Function

Rewriting the Equation

$$r(\hat{u}) \approx r(u) + (\hat{u} - u)^{T} \frac{\delta r}{\delta u} + \frac{1}{2} (\hat{u} - u)^{T} \frac{\delta^{2} r}{\delta u^{2}} (\hat{u} - u)$$

$$e^{r(u)} \int \frac{e^{r(u)}}{\int_{t} e^{r(u) + (\hat{u} - u)^{T}g + \frac{1}{2}(\hat{u} - u)^{T}H(\hat{u} - u)} du}$$
Normalization term
Taylor expansion of the reward along alternate paths

Gaussian Approximation

$$P(u \mid x_0) = \frac{e^{r(u)}}{\int_t e^{r(u) + (\hat{u} - u)^T g + \frac{1}{2}(\hat{u} - u)^T H \ (\hat{u} - u)} \ du}$$

$$= e^{\frac{1}{2}g^{T}H^{-1}g} + |-H|^{\frac{1}{2}}(2\pi)^{-\frac{n}{2}}$$

Dimensionality of u

$$\frac{1}{2}g^{T}H^{-1}g + \frac{1}{2}\log|-H| - \frac{n}{2}\log 2\pi$$
Log Likelihood

Gaussian Kernel



We can use either a linear or nonlinear kernel; the authors examine a Gaussian kernel.

Gaussian Kernel

$$\log P(u \mid x_0) = \frac{1}{2}g^T H^{-1}g + \frac{1}{2}\log|-H| - \frac{n}{2}\log 2\pi$$
$$\log P(y,\lambda,\beta \mid F) = -\frac{1}{2}y^T K^{-1}y - \frac{1}{2}\log|K| + \log P(\lambda,\beta \mid F)$$
$$\int \text{Defined such that } K_{i,j} = k(f^i, f^j, \lambda, \beta)$$
$$k(f^i, f^j, \lambda, \beta) = \beta \exp\left(-\frac{1}{2}\sum_k \lambda_k \left[(f^i_k - f^j_k)^2 + 1_{i \neq j}\sigma^2\right]\right)$$

Gaussian Kernel

Hyperparameter log likelihood:

$$\log P(\lambda,\beta|\mathbf{F}) = -\frac{1}{2} \operatorname{tr} \left(\mathbf{K}^{-2} \right) - \sum_{k} \log \left(\lambda_{k} + 1 \right)$$

Reward at a given feature point:

$$r(\mathbf{x}_t, \mathbf{u}_t) = \mathbf{k}_t \alpha + \theta^{\mathrm{T}} \mathbf{f}_{\ell}(\mathbf{x}_t, \mathbf{u}_t)$$

 $\boldsymbol{\alpha} = \mathbf{K}^{-1}\mathbf{y}$

Experiment: Multi-Link Arm



- Robot arm/planar navigation demonstrations computed according to a Gaussian reward function with four peaks
- Algorithm was best able to recover this reward function

Experiment: Highway Driving



- Able to mimic different driving styles very effectively:
 - Tested with aggressive driving, evasive driving, or tailgating other cars
- Changed lanes to avoid other cars

Results

- Can be applied to locally optimal data
- Can be applied to limited features (ex: just position data, in the arm task)
- Comparatively efficient processing



Paper 2: Trajectory Transfer Through Non-Rigid Registration





Goal: Collect demonstration of a task and apply it to a new world through a non-rigid registration followed by a warping.

John Schulman, Ankush Gupta, Sibi Venkatesan, Mallory Tayson-Frederick, and Pieter Abbeel. A case study of trajectory transfer through non-rigid registration for a simplied suturing scenario. In Intelligent Robots and Systems (IROS), 2013 IEEE/RSJ International Conference on, pages 4111{4117. IEEE, 2013.

The Plan



John Schulman, Ankush Gupta, Sibi Venkatesan, Mallory Tayson-Frederick, and Pieter Abbeel. A case study of trajectory transfer through non-rigid registration for a simplied suturing scenario. In Intelligent Robots and Systems (IROS), 2013 IEEE/RSJ International Conference on, pages 4111{4117. IEEE, 2013.

The Plan

- 1. Find a transformation from the demonstration to the test scene.
 - Used Thin Plate Spline Robust Point Matching
- 2. Apply transformation to the demonstrated trajectory
- 3. Convert end-effector trajectory to a joint trajectory
- 4. Execute on the real robot

Raven Simulation Results



- Applied different x,y,z translations and rotations to a second suture pad
- 64 possible combinations, with 10 possible scalings: 640 trials

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Raven Simulation Results



- Lower success rate with more scaling
- Common problems:
 - Grasping suture thread
 - Passing needle through holes
 - Suture moved during trial

John Schulman, Ankush Gupta, Sibi Venkatesan, Mallory Tayson-Frederick, and Pieter Abbeel. A case study of trajectory transfer through non-rigid registration for a simplied suturing scenario. In Intelligent Robots and Systems (IROS), 2013 IEEE/RSJ International Conference on, pages 4111{4117. IEEE, 2013.

Real World Trial: PR2



Conor McGann, Eric Berger, Jonathan Bohren, Sachin Chitta, Brian Gerkey, Stuart Glaser, Bhaskara Marthi, Wim Meeussen, Tony Pratkanis, Eitan Marder-Eppstein, et al. Model-based, hierarchical control of a mobile manipulation platform. In 4th workshop on planning and plan execution for real world systems, ICAPS, 2009.

PR2 Suturing Results



- Task: pierce and re-grasp needle
- Human identified suture points; procedure was not entirely automatic

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PR2 Suturing Results

- 87% overall success rate
- 100% success rate with low pertrubations
- Successful even in the case of deformations on the x or axis

Perturbation	Success Rate
$10^{\circ} x$ rotation	2/2
$15^{\circ} x$ rotation	2/2
$-10^{\circ} x$ rotation	2/2
-15° x rotation	1/2
$10^{\circ} y$ rotation	2/2
$15^{\circ} y$ rotation	2/2
$-10^{\circ} y$ rotation	2/2
$-15^{\circ} y$ rotation	2/2
$10^{\circ} z$ rotation	2/2
$15^{\circ} z$ rotation	0/2
$-10^{\circ} z$ rotation	2/2
$-15^{\circ} z$ rotation	2/2
Bend <i>x</i> -axis	2/2
Bend y-axis	2/2
Diagonal holes	1/2

Relevance



- Both methods may be useful for learning from demonstration
- The second method is easier to implement, and may be more practical as a starting point

Questions?