

SCALE-INVARIANT REGISTRATION OF MONOCULAR ENDOSCOPIC IMAGES TO CT-SCANS FOR SINUS SURGERY

Paper by D. Burschka et al.

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Project Description

- Image Processing for Video-CT Registration in Sinus Surgery
- Use contour detection and optical flow algorithms to reconstruct surface of monocular endoscopic video
- Register reconstructed surface to CT data for intraoperative probe tracking

Paper Selection

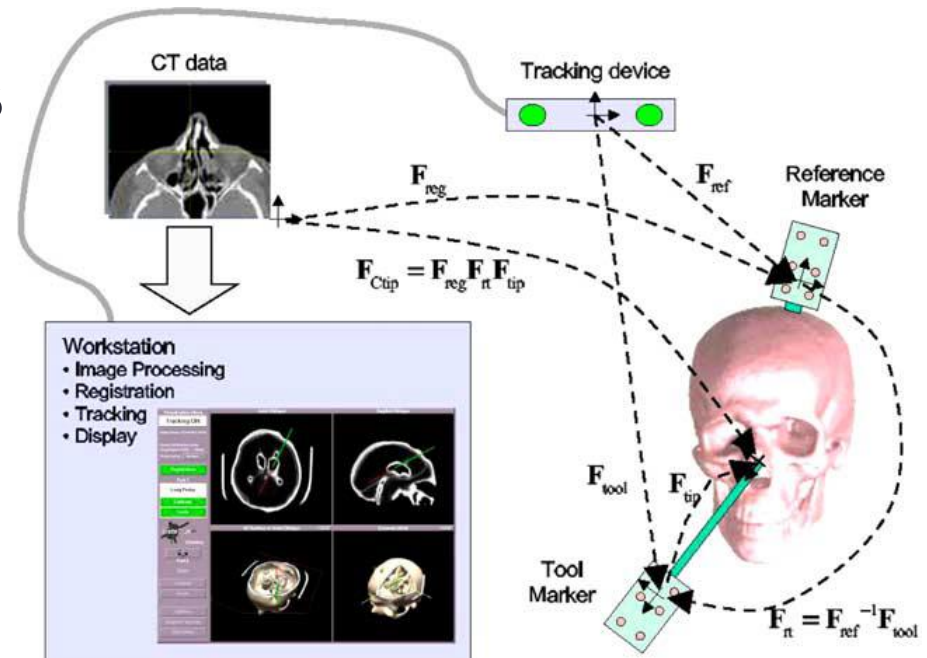
- “Scale-invariant registration of monocular endoscopic images to CT-scans for sinus surgery” seeks to solve the same problem as our project
- They use monocular sinus endoscopic images as opposed to other imaging techniques such as fluoroscopy, x-ray, or stereoscopic endoscope
- Uses different image processing from our project

Problem Summary

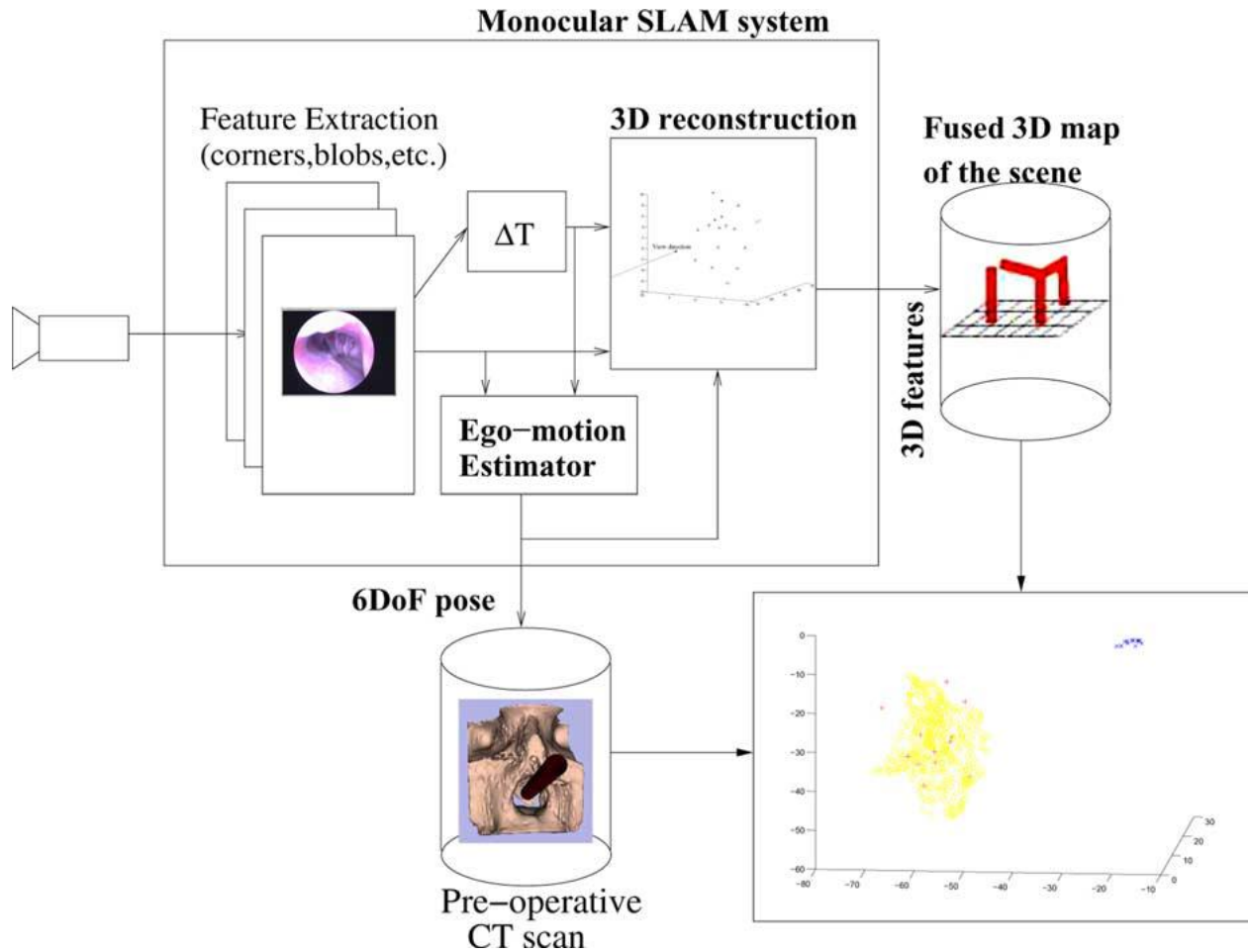
- The sinuses are near the brain, eye, and major arteries, so high precision is necessary during surgery
- This main goals of the paper are to:
 - Reconstruct the 3D surface geometry from monocular endoscopic images
 - Register the camera location to pre-operative CT image coordinates to track the endoscope

Problem Summary

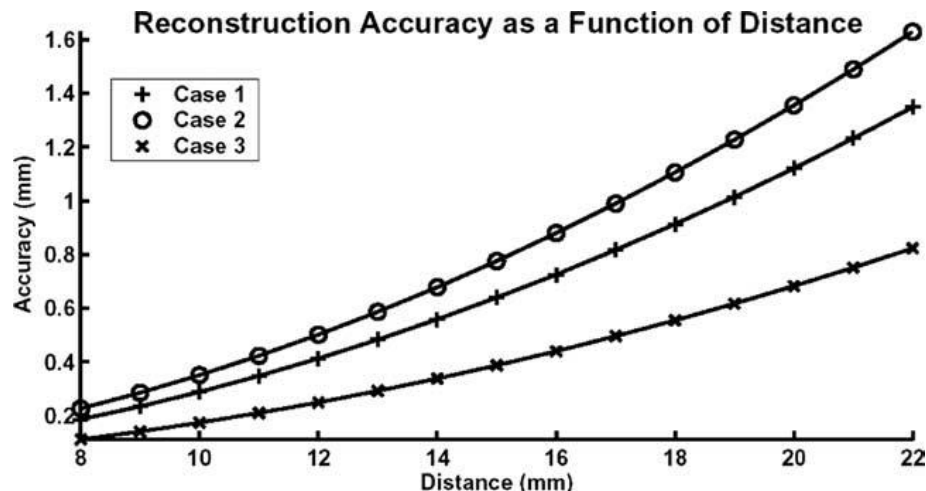
- Current tracking methods use a navigational tracking device and external fiducials
- Limitations in the context of sinus surgeries:
 - Can't register to anatomical landmarks
 - Can't account for anatomical changes during surgery
 - Can't autonomously and repetitively register a patient



Architecture

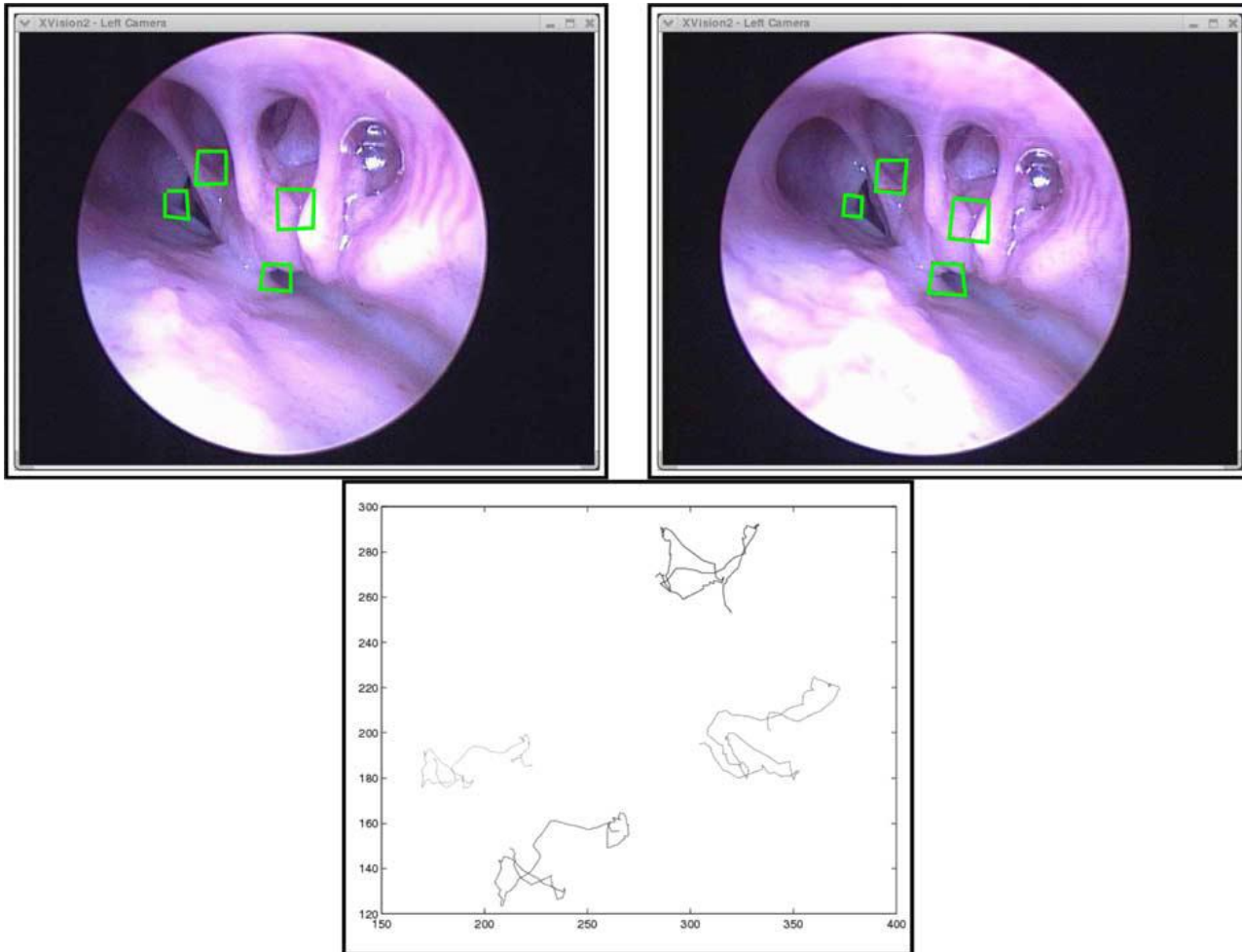


Key Result Summary



- After ICP registration, the average error between a set of selected points was 0.65 mm, compared to 0.40 mm in a fiducial based registration with four fiducials on the surface of the brain
- Able to robustly track ex vivo using a variety of anatomical structures such as significant vessel structures

Methods: Tracking



Methods: Initialization

- System initialized with eight-point algorithm or manual feature selection
 - In eight-point algorithm, you can find the essential matrix of a system from eight-point correspondences.
 - Essential matrix, $\tilde{\mathbf{E}}$, is defined as $p_i^* \tilde{\mathbf{E}} p_i = 0$ for two corresponding camera projections p_i^* and p_i (in this case, two consecutive camera frames)
 - Essential matrix provides rotation matrix $\tilde{\mathbf{R}}$ and translation vector \mathbf{T} such that $\tilde{\mathbf{E}} = \tilde{\mathbf{R}} \cdot \text{sk}(\mathbf{T})$
 - In manual feature selection, the surgeon selects three points with known correspondence to the CT-data to bootstrap the processing

Methods: Localization and Mapping

- Camera motion must be estimated simultaneously with reconstruction
- One way of recovering the motion between two camera frames is by using the eight-point algorithm from above
- In some cases, there may be fewer than eight points to match. They use Burschka and Hager's method for camera localization and mapping with only three point correspondences
- Brief overview of their algorithm follows

Methods: Localization and Mapping

- Each 3D point P_i is represented as a direction vector $n_i = \frac{p_i}{\|p_i\|}$ and distance to the point D_i such that $P_i = D_i \cdot n_i$. Since the scale m of reconstruction may be unknown, use $\lambda_i = \frac{D_i}{m}$
- For current frame $\{P_i\}$ and next frame $\{P_i^*\}$, estimate \mathbf{R} and \mathbf{T} as such.

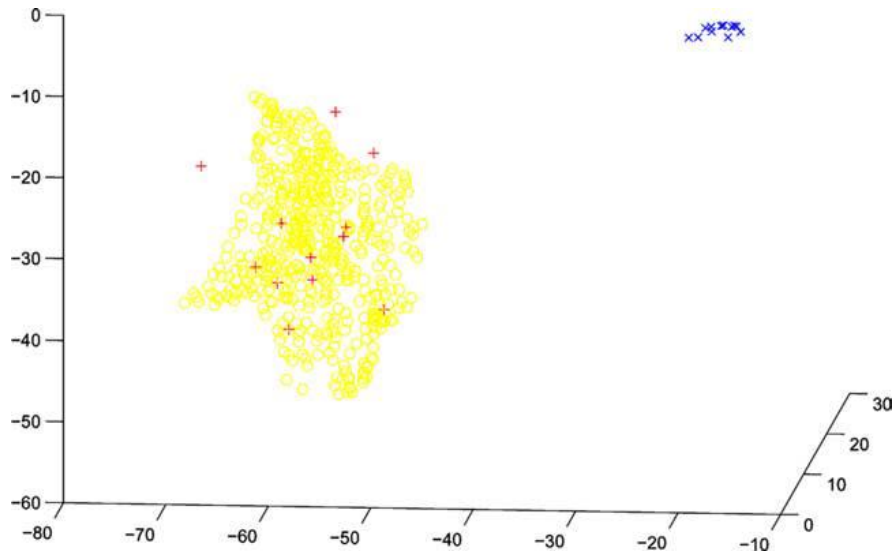
$$\begin{aligned}\bar{P} &= \frac{1}{n} \sum_{i=1}^n P_i, \bar{P}^* = \frac{1}{n} \sum_{i=1}^n P_i^* \\ P_i' &= P_i - \bar{P}, P_i'^* = P_i^* - \bar{P}^* \\ \mathbf{M} &= \sum_{i=1}^n P_i'^* P_i'^{\mathbf{T}}, [UDV^{\mathbf{T}}] = \text{svd}(\mathbf{M}) \\ \mathbf{R} &= V \cdot U^{\mathbf{T}}, \mathbf{T} = \bar{P}^* - \mathbf{R}\bar{P}\end{aligned}$$

- For each new image, start with initial guess for λ_i set to the previous distance, then iterate to find true $\mathbf{R}, \mathbf{T}, \lambda_i$

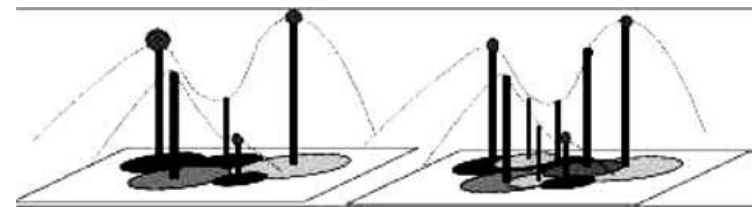
Methods: Scale Recovery

- The system has an estimate for the current camera position. Using this estimate, they carve out a portion of the CT surface that they expect is currently visible to the camera
- Look at the covariance matrix between point cloud from selected CT region and the current camera reconstruction.
 - The two eigenvalues of this matrix from the larger eigenvalues define the supporting plane, and the third eigenvector describes the depth variation
 - Using the eigenvalues and eigenvectors, they recover the scale and rotation between the two point clouds with respect to the supporting plane

Methods: Scale Recovery



- Fig. 10. After the alignment along the normal vector to the supporting plane the scale is roughly recovered, but rotation around the normal vector is possible.



- Fig. 11. Distance to the supporting plane is used as a pseudo-image representation to match the sparse reconstruction (left) to the dense point cloud (right).

Methods: ICP

- Perform ICP (iterative closest point) between the two point aligned point clouds for registration
- They use a rigid registration as opposed to a deformable registration since the anatomy of the nasal and sinus cavity is mostly bony tissue
- They use a covariance tree variation of a k-D tree as their data structure

Relevance

- As said earlier, this paper seeks to solve the same problem we are trying to solve using the same kind of imaging data
- They provide alternative image processing techniques that we hope to learn from and build upon

Assessment

Pros

- Overcomes the limitations that come with fiducial based tracking
- Ability to get registration error of a target region that isn't possible in current methods
- Comparable results to fiducial based methods

Cons

- Still susceptible to large anatomical changes e.g. bleeding that covers the camera
- More rigorous and quantitative testing of ex vivo tracking results

Conclusion

- They have shown that it is feasible to register and track an endoscope using image processing techniques
- We plan to implement a comparable workflow with equal or better results using different types of image features

Questions?