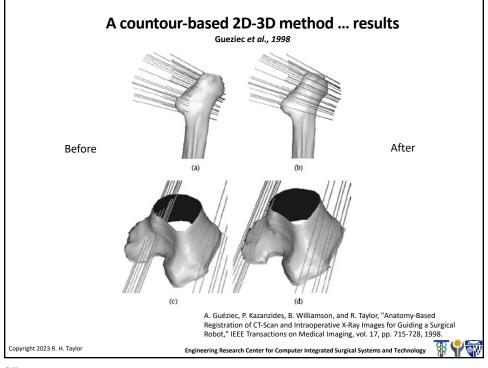
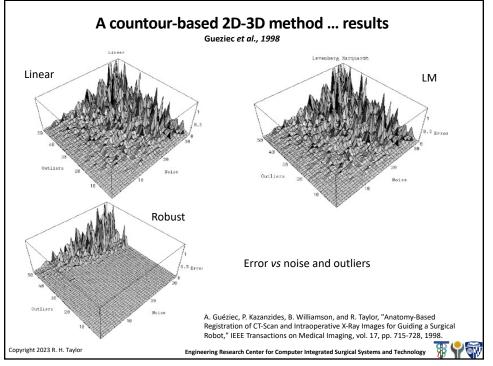
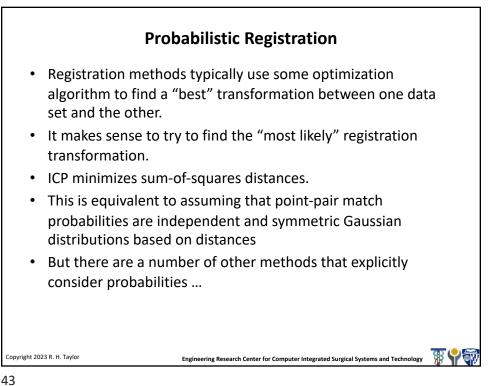


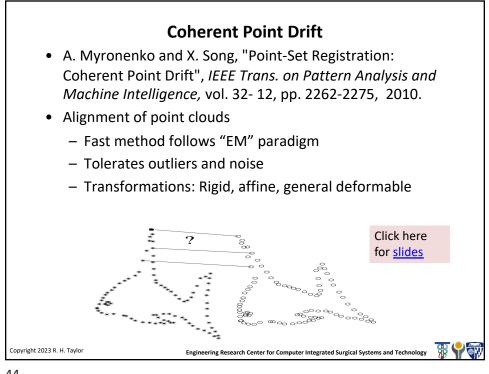
**Robust M-Estimator ...** (Following development in Gueziec et al., 1998) Step 3.0: Set  $\vec{\mathbf{u}} = \vec{\mathbf{0}}, \Delta \mathbf{t} = \vec{\mathbf{0}}$ Step 3.1: Compute  $\mathbf{e}_i = ||\mathbf{V}_i(\mathbf{\vec{p}}_i - \mathbf{\vec{c}}_i + 2P_i\mathbf{\vec{u}} + \Delta\mathbf{\vec{t}})||, s = median(\{\cdots, e_i, \cdots\})/0.6745,$ Step 3.2: Solve  $\mathbf{C}\vec{x}=\vec{d}$ , where  $\vec{x}^{t}=[\vec{u}^{t},\vec{t}^{t}]$  $\mathbf{C} = \sum_{i} \Psi(\frac{\mathbf{e}_{i}}{s}) \begin{bmatrix} 2\mathbf{P}_{i}\mathbf{W}_{i}^{\mathbf{P}} & \mathbf{P}_{i}\mathbf{W}_{i} \\ 2\mathbf{P}_{i}\mathbf{W}_{i} & \mathbf{W}_{i} \end{bmatrix} \text{ and } \vec{\mathbf{d}} = \sum_{i} \Psi(\frac{\mathbf{e}_{i}}{s}) \begin{bmatrix} \mathbf{P}_{i}\mathbf{W}_{i}(\vec{\mathbf{c}}_{i} - \vec{\mathbf{p}}_{i}) \\ \mathbf{W}_{i}(\vec{\mathbf{c}}_{i} - \vec{\mathbf{p}}_{i}) \end{bmatrix}$ where  $\mathbf{W}_{i} = \mathbf{V}_{i}^{t}\mathbf{V}_{i} = \mathbf{I} - \vec{\mathbf{v}}_{i}\mathbf{v}_{i}^{t}$   $\Psi(\mu) = \begin{cases} \mu (1 - \mu^{2} / \alpha^{2})^{2} & \text{if } \|\mu\| \leq \alpha \\ 0 & \text{otherwise} \end{cases}$ (**Note**: We use  $\alpha$ =2) Step 3.3: Iterate steps 3.1 and 3.2 until a suitable termination condition is reached. A. Guéziec, P. Kazanzides, B. Williamson, and R. Taylor, "Anatomy-Based Registration of CT-Scan and Intraoperative X-Ray Images for Guiding a Surgical Robot," IEEE Transactions on Medical Imaging, vol. 17, pp. 715-728, 1998 Copyright 2023 R. H. Taylor Engineering Research Center for Computer Integrated Surgical Systems and Tech



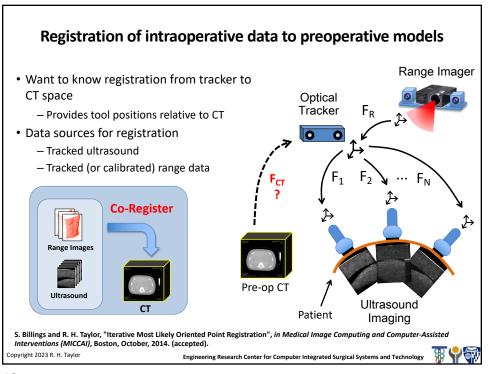


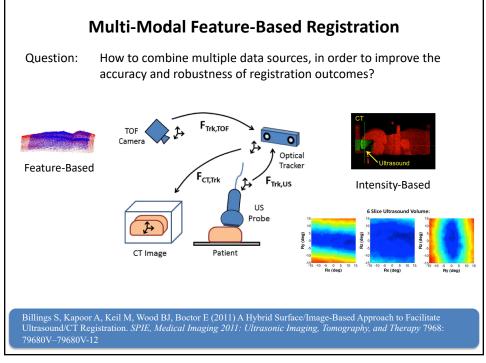
E I IES IN MS FOR THE	TAE
TES IN MS DOD THE	
plied to Data Se and 20 Points (1	
LM Linear	Method
790 690	U time)
200 42	J time)
AND 20 POINTS (I   LM Linear   790 690	Points (To Method U time)

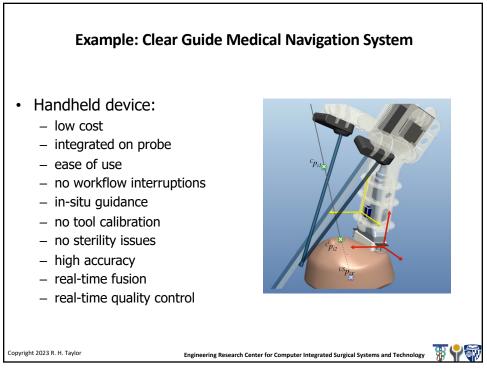


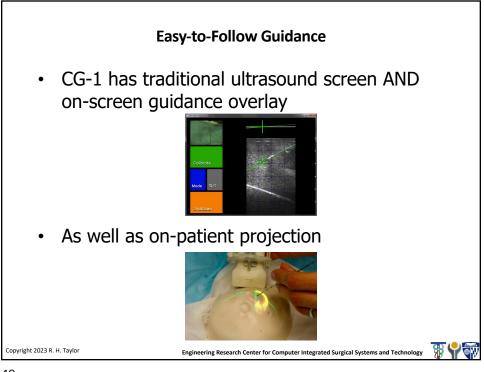


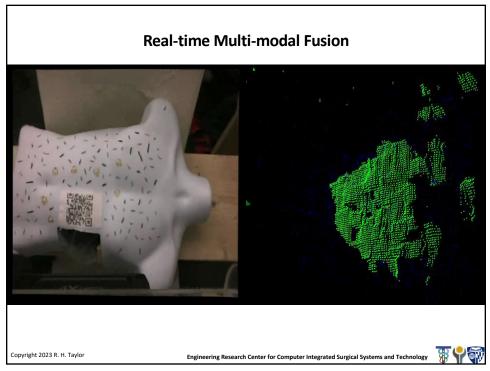


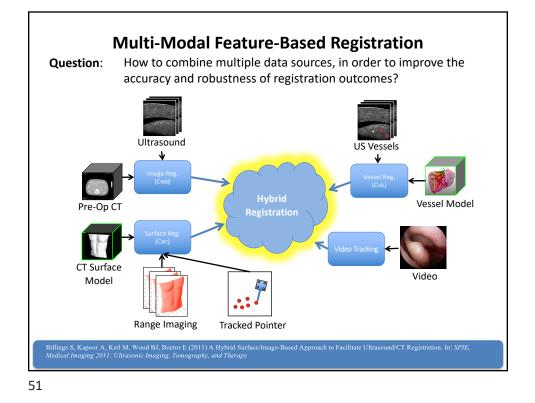


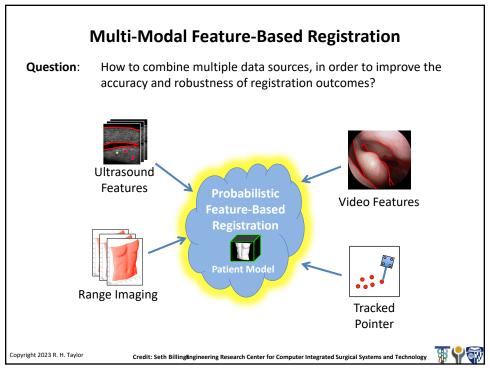


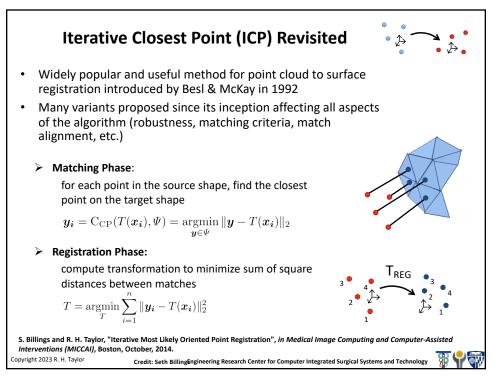




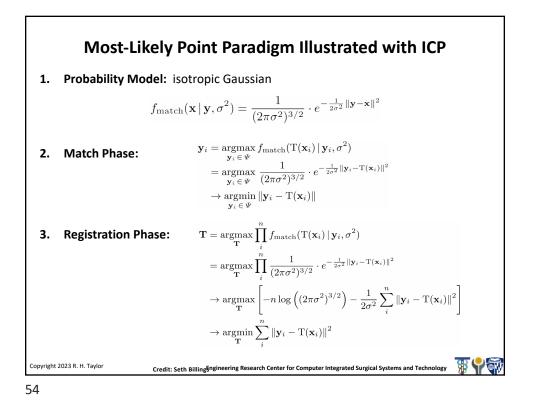


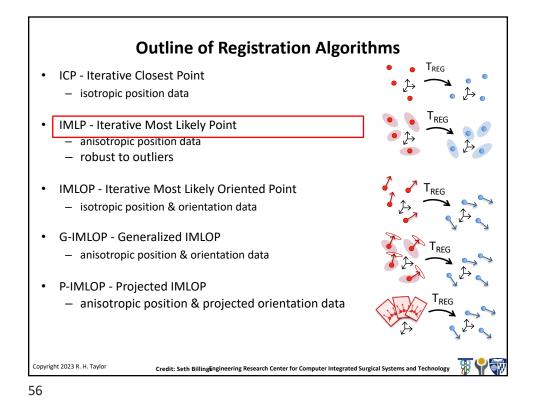


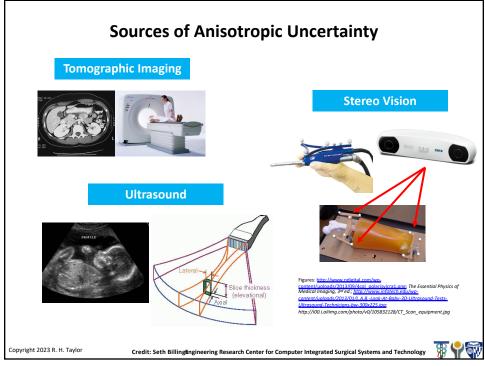


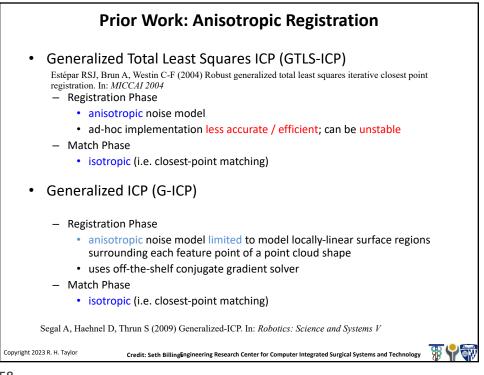




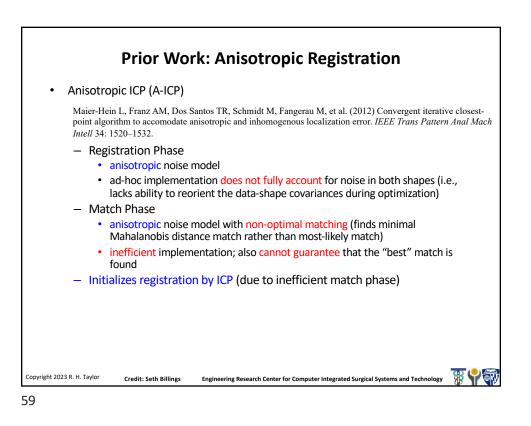


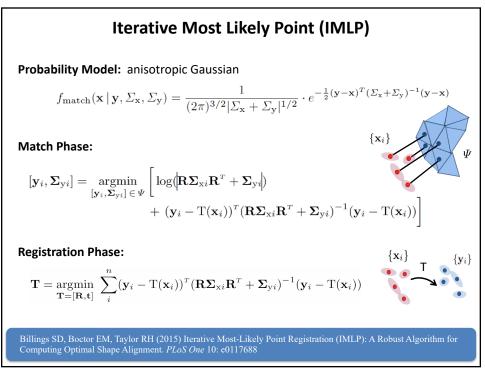


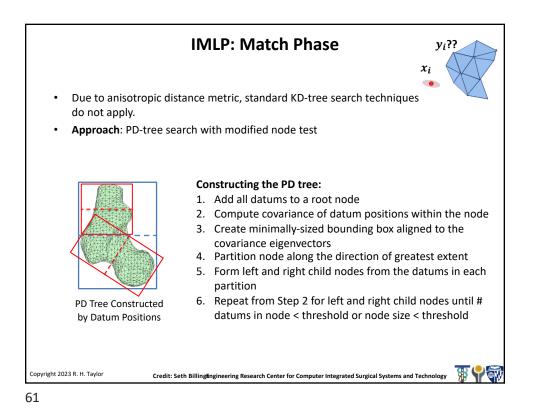


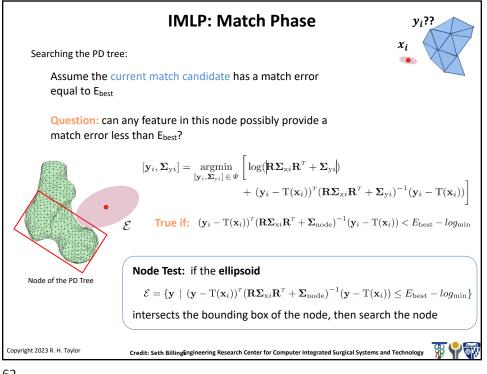


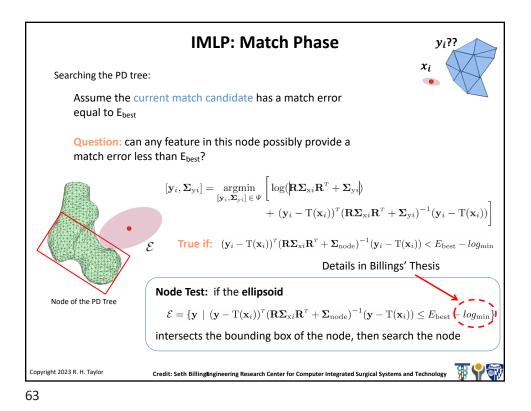


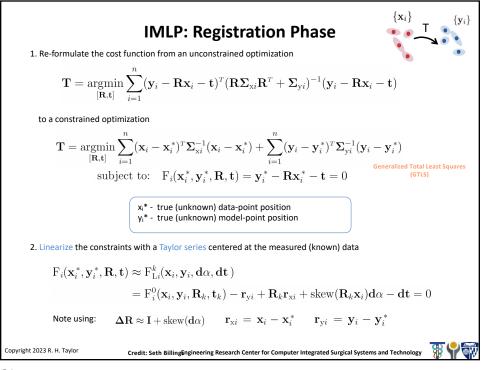


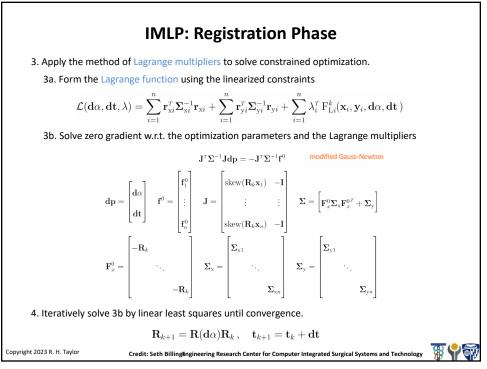


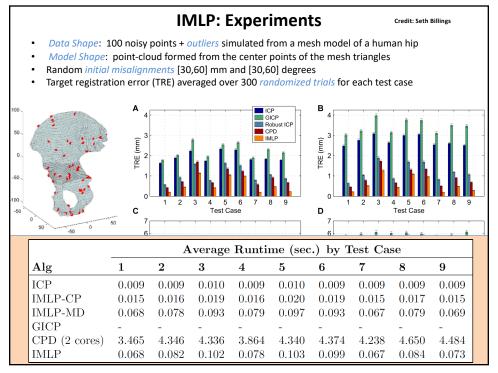


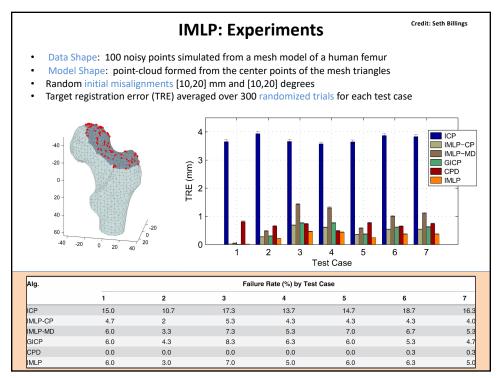


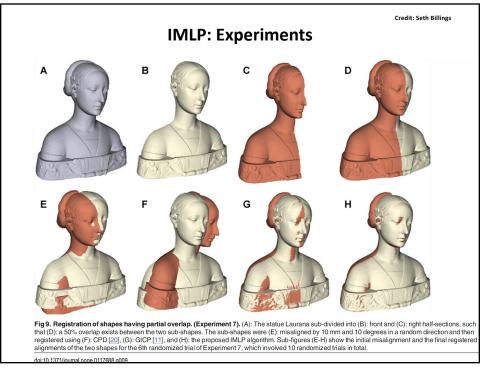


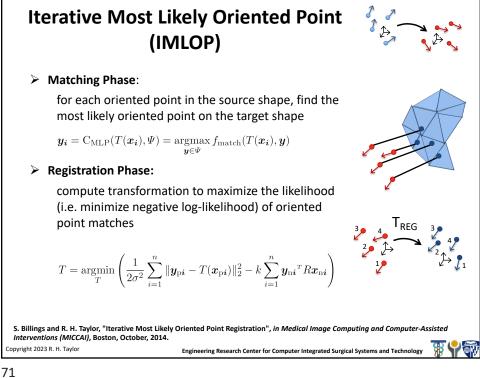


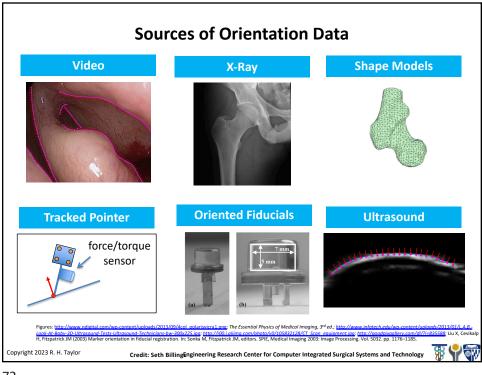


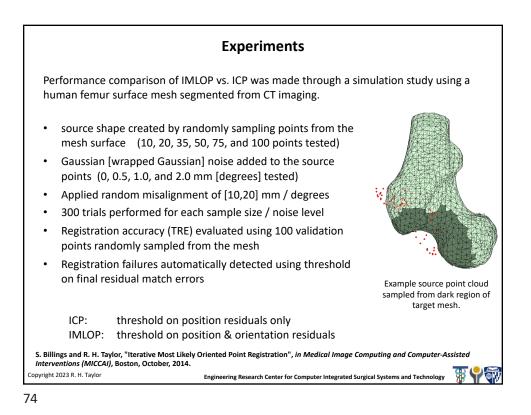


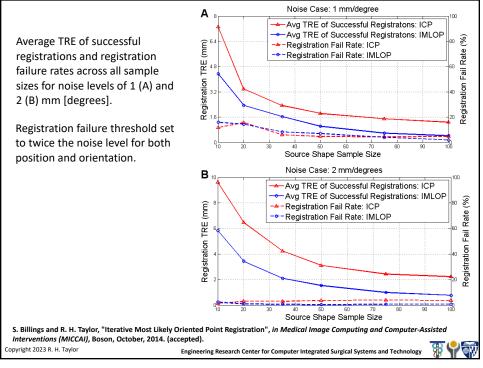




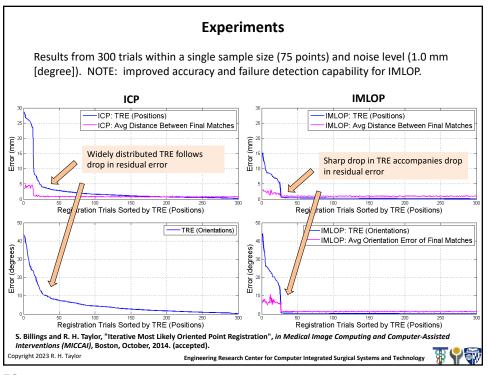


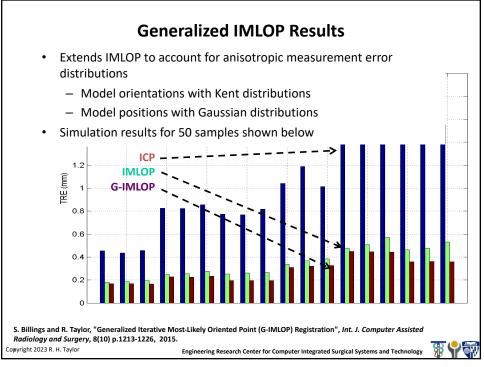


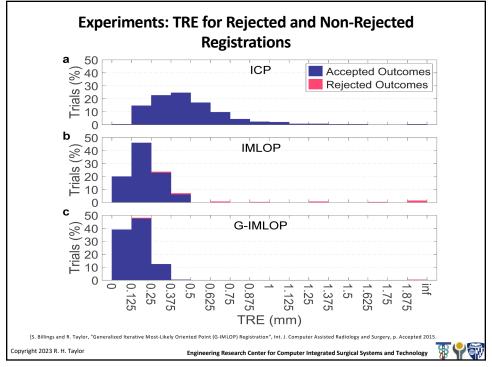


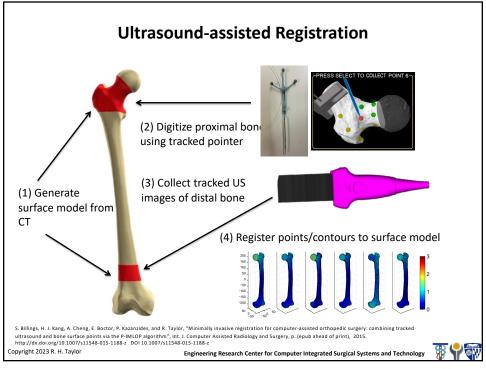


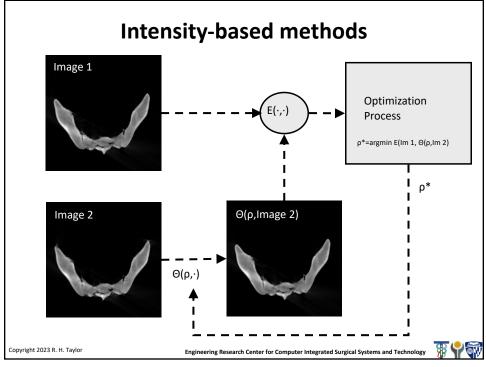


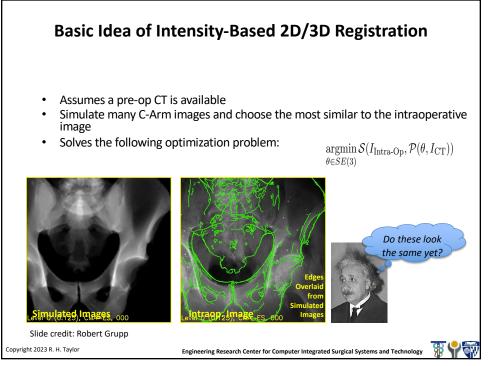


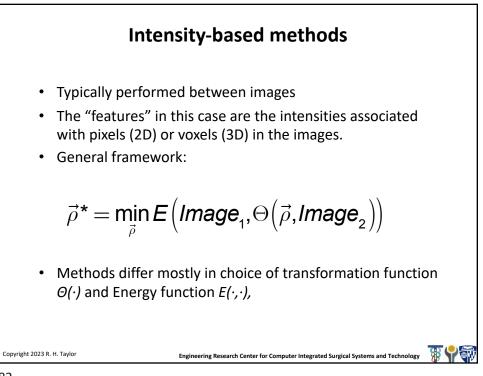


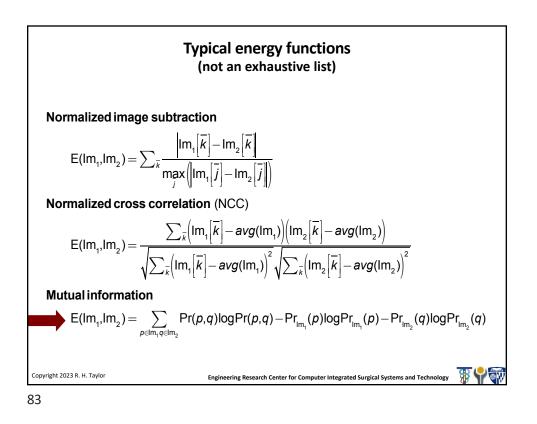


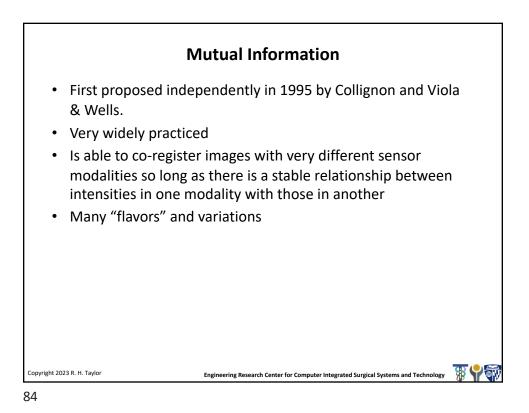


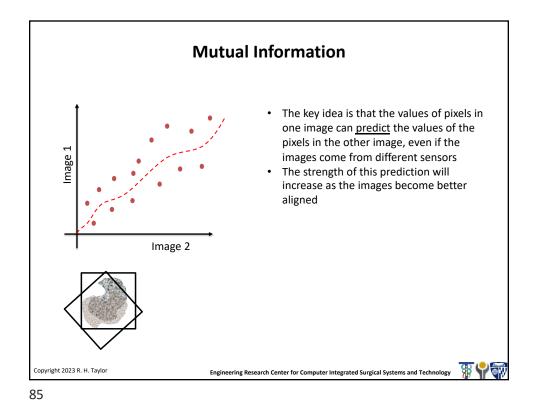


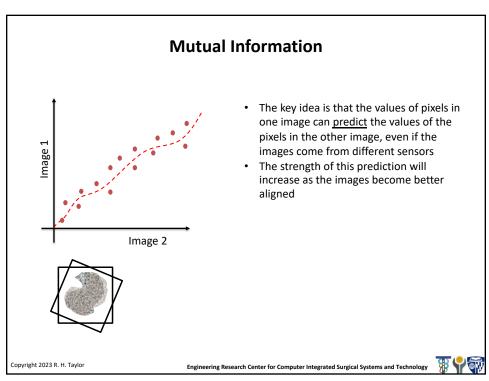


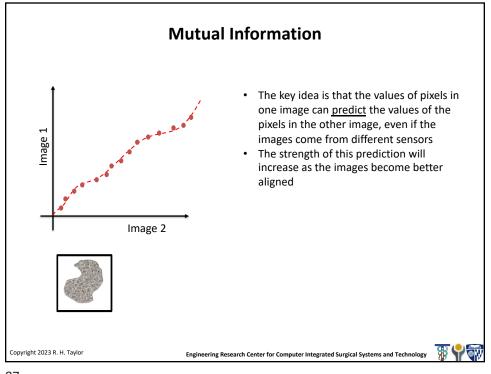


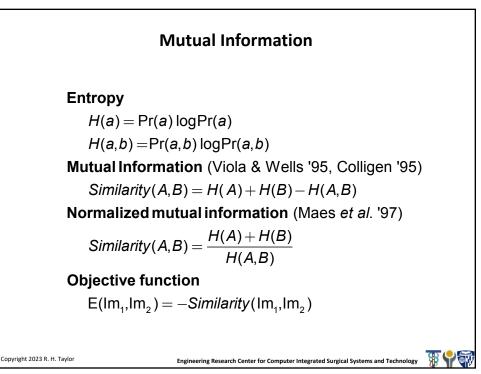


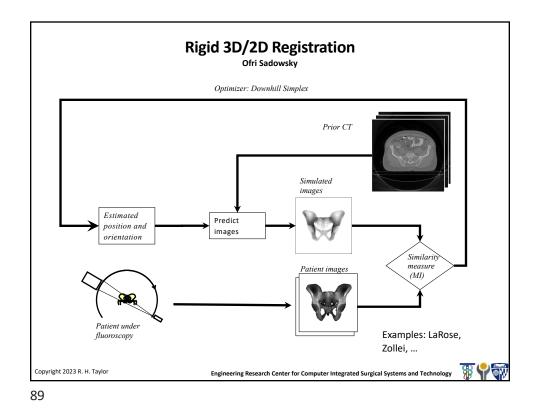


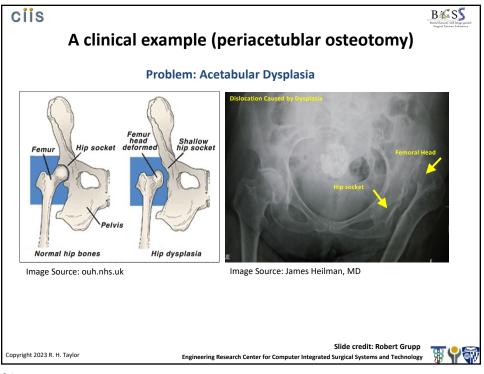


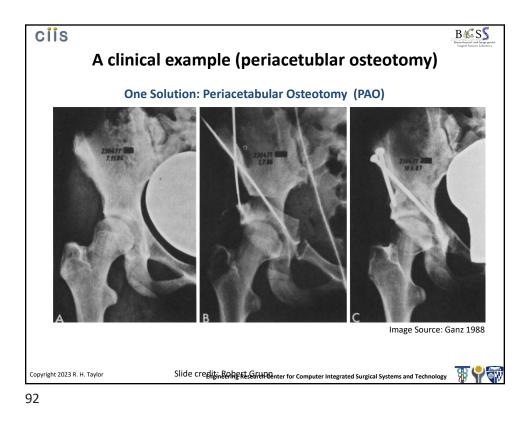


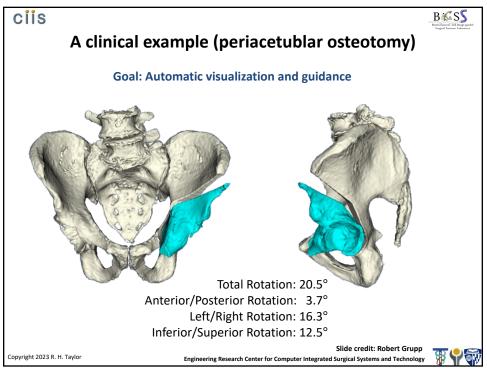


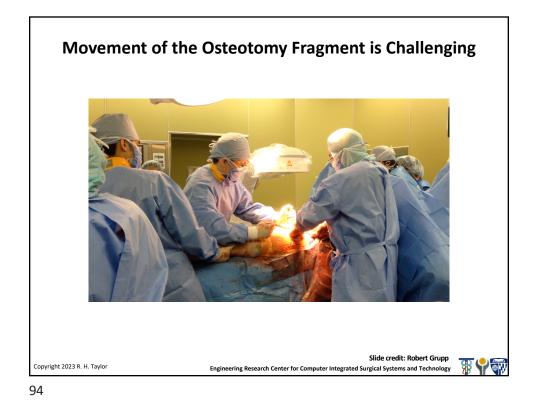


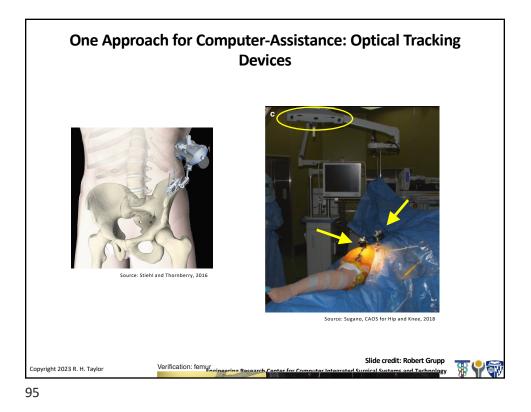






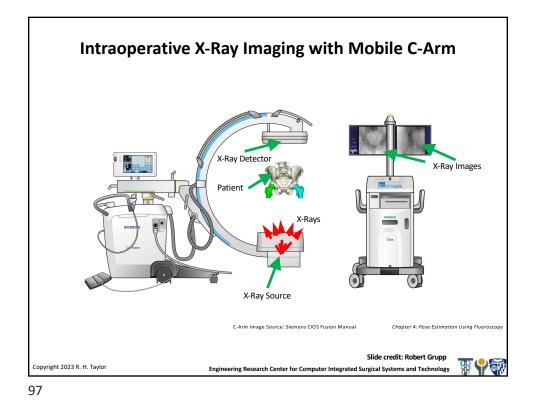


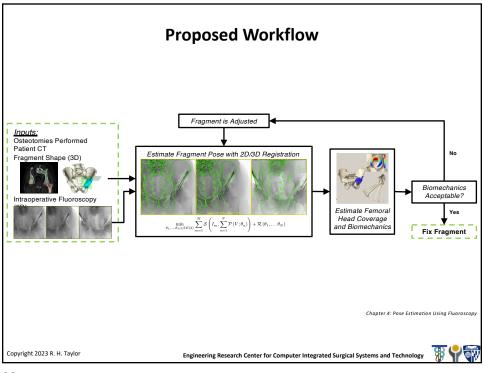


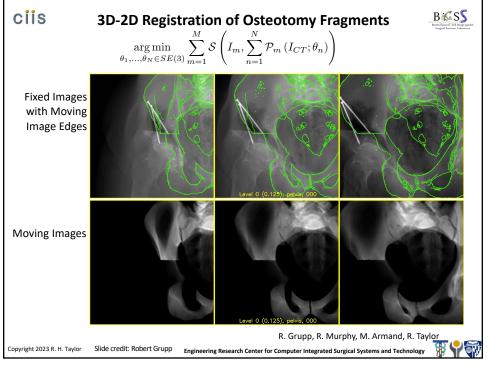


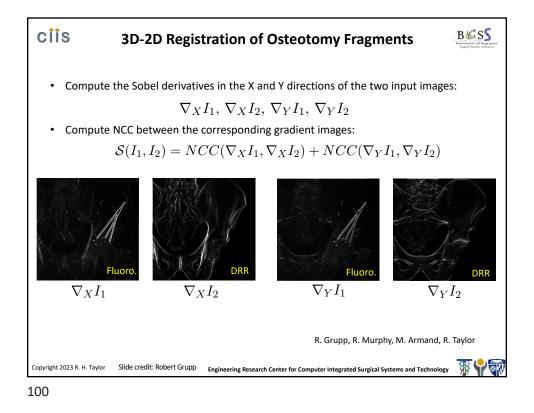


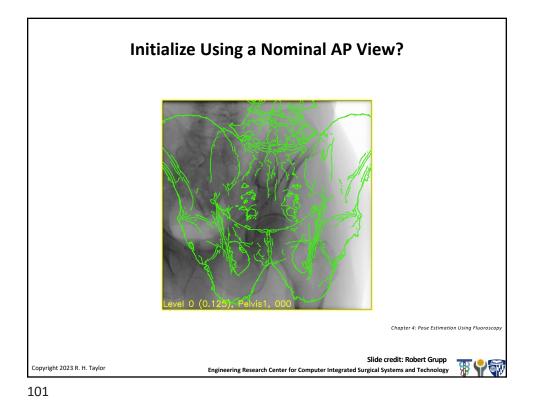


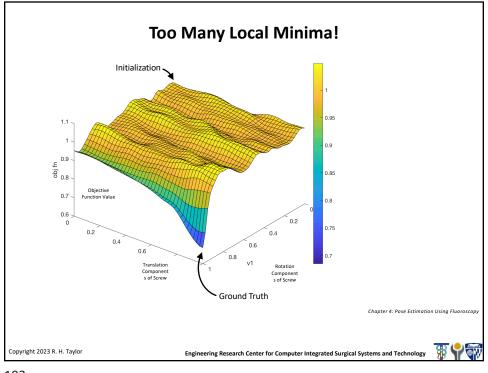


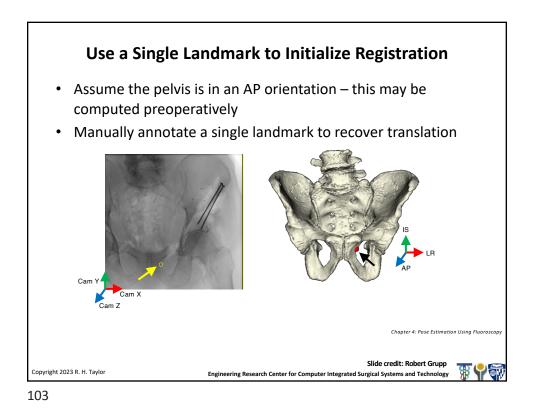


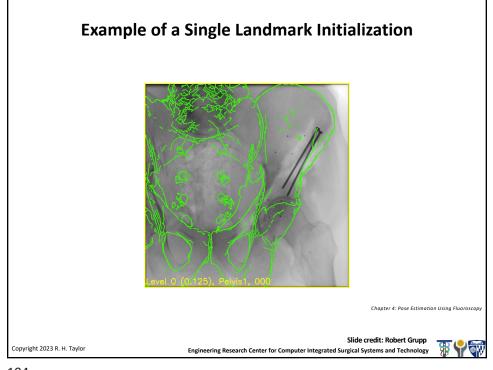


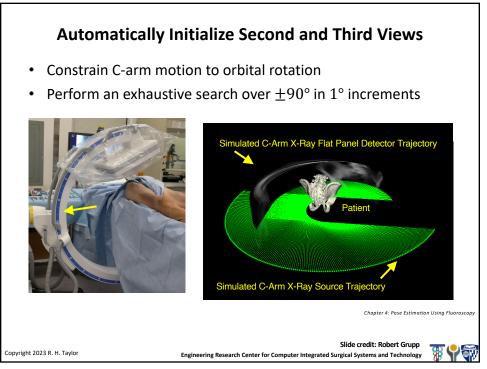


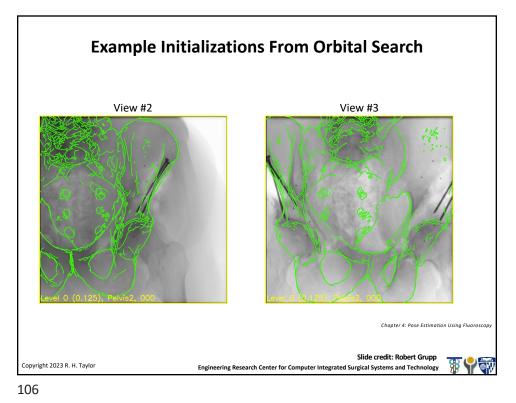


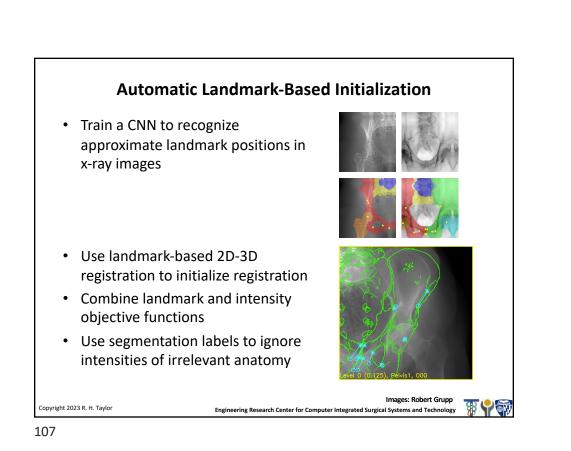


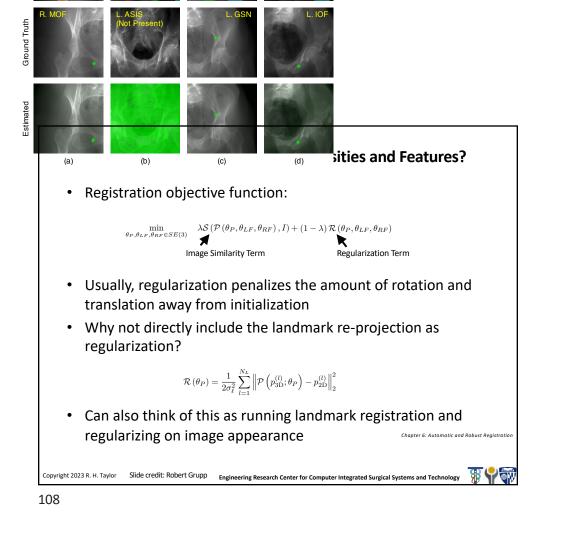


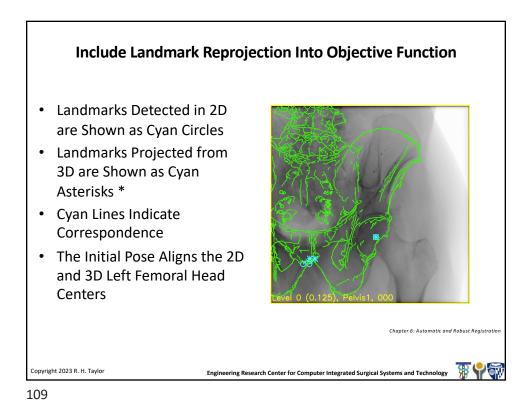












10/28/23

